

# Dumptruck Problem

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Enormous dump trucks (5 m high) are used to move soil/rocks from vast open cut mines (for example the gold mine Superpit in Kalgoorlie WA). Typical loads 500 tons, Typical Speeds 15-20 km/hr. The trucks remove much waste and small amount of valuable material from the mine. Drivers drive long hours along narrow roads. Should they drop off the edge; disaster!

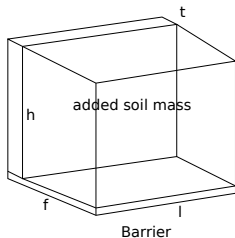


**Our aim is: Design a barrier for safety.**

**Think!** Which barrier characteristics are required To achieve safety?

## The model outlines:

- The factors which will affect on the interaction between the dump truck and the barrier.
- The required structure for the soil behind the barrier.



## Dump Truck Equation:

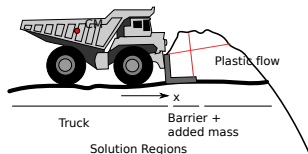
Main mathematical task: Determine the stopping distance  $x_s$  (barrier and pile geometry, initial truck speed, loading).

$$M\ddot{x} = -F_{tot}$$

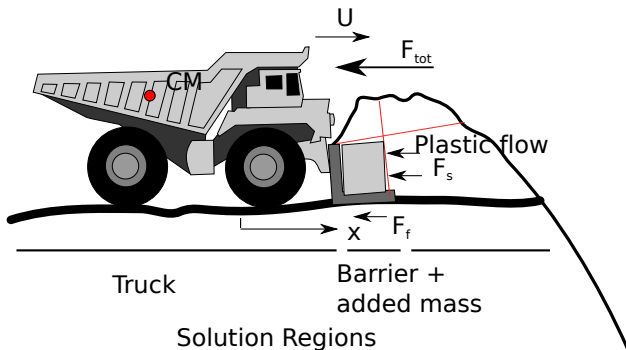
By integration with respect to  $x$  we will end with.

$$x_s = \frac{MU_o^2}{2F_{tot}}$$

where  $M$  is the mass of the truck and  $U_o$  is the initial velocity.



## Barrier and pile equation:



## Task : Analysis $F_{tot}$

### Fractional force:

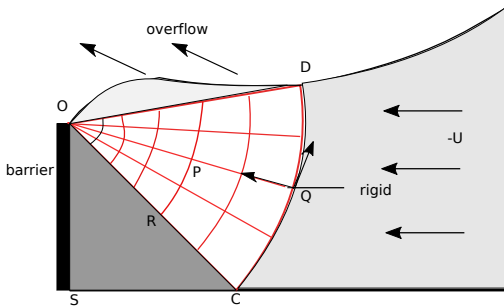
- The force outing from the friction between the mass of the barrier and the add soil mass with the ground.
- $F_f = \mu(m_b + m_a)g$  ,  $\mu$  is the frictional coefficient.

### Soil Force

- The normal force acting on the barrier.
- $F_s = 2hl(S_{max} + \sigma_1)$  with  $\sigma_1 = \rho_s gh/2$ .
- $S_{max}$  is the maximum shear stress that the soil can take before yielding.
- $h$  is the soil height and  $\sigma_1$  is the gravitational pressure per unit area on the face of barrier.
- Given by the plasticity flow theory.



## Studying the plastic flow of the soil



$$H=2 \text{ m and } \rho_s = 1600 \text{ Kg/m}^3$$

### Full Truck

$U_o$ Km/hr	$x_s$ m
15	5.6
20	9

### Empty Truck

$U_o$ Km/hr	$x_s$ m
20	3.98
15	0.75

we know that:  $x_s = \frac{MU_o^2}{2F_{tot}}$

From this relation we can say :

- $x_s$  is directly proportional to the mass of the truck and the square of the initial velocity.
- $x_s$  is directly proportional to  $\frac{1}{F_{tot}}$  and the important factor really affect on this relation the density of soil and shear maximum stress.